

Byzantine Fault Tolerance

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Fault Tolerance so far

Traditional RSM tolerates benign failures

- Node crashes
- Network partitions

A RSM (with **$2f+1$** replicas) can tolerate **f** simultaneous crashes

Byzantine Faults

Nodes fail arbitrarily

- Failed node performs **incorrect** computation
- Failed nodes **collude**

Causes: **attacks**, soft/hardware errors

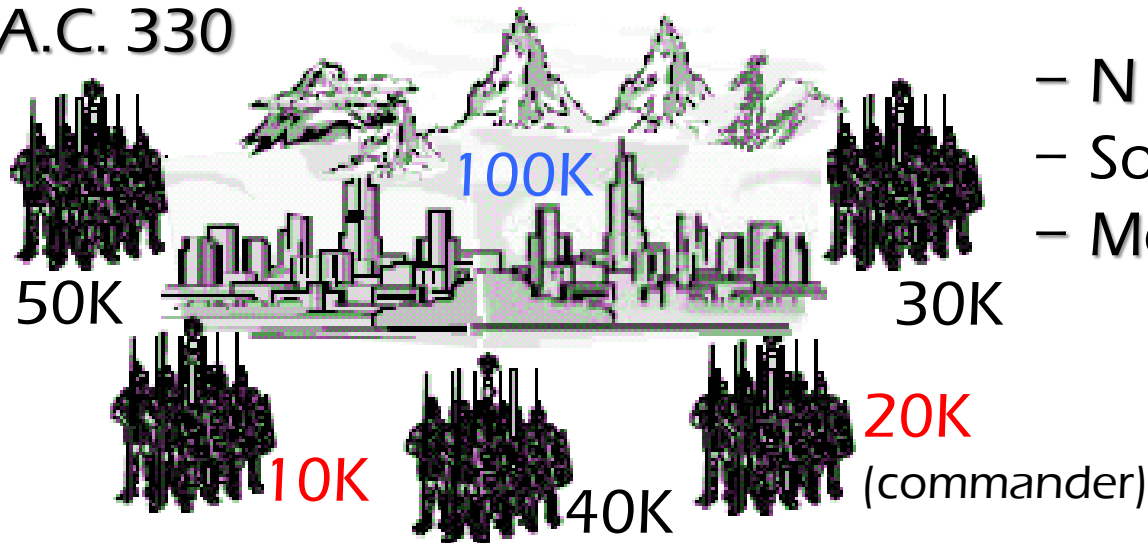
Examples:

- Client asks bank to deposit \$100,
but a *Byzantine* server subtracts \$100
- Client asks file system to store f1="aaa",
but a *Byzantine* server returns f1="bbb"

Why Byzantine



A.C. 330



- N Generals
- Some are traitors
- Message passing

Attack
vs.
Retreat

Goals

- Consensus btw. loyal generals
- A small number of traitors cannot cause the loyal to adopt a bad plan

same plan

voting

Traitors

Traitors may do anything they wish

- Don't follow the good plan
- Send different values to different generals

How to “Consensus btw. loyal generals”

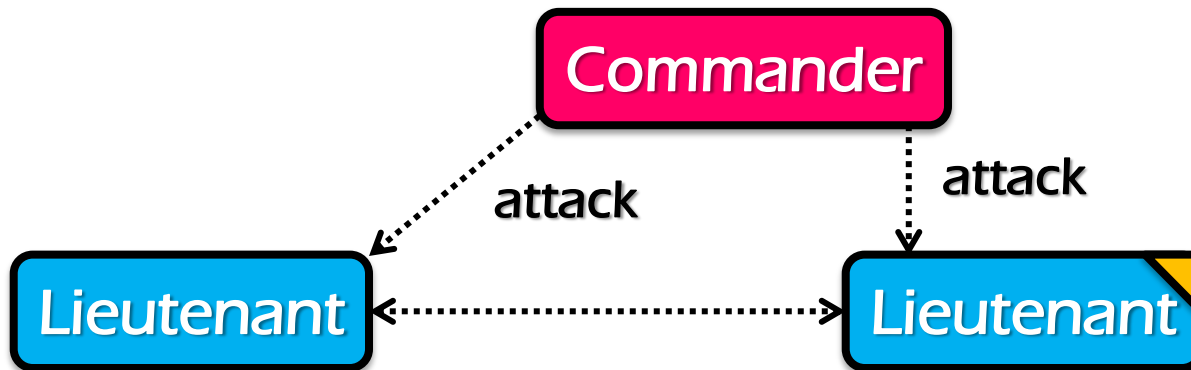
1. Every loyal general must obtain the same information $v(1) \dots v(n)$
2. If the i^{th} general is loyal, then the value that he sends must be used by every loyal general as the value of $v(i)$

Byzantine Generals Problem

Byzantine General Problem

Byzantine Generals Problem

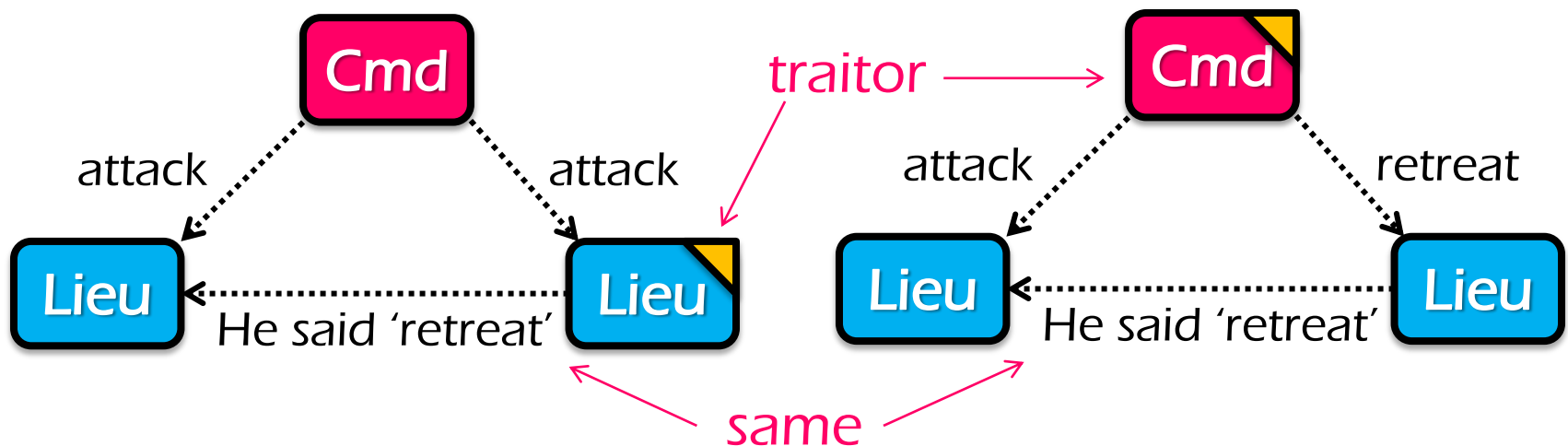
- A commanding general: send command
 - N-1 lieutenant generals: receive command
1. All loyal lieutenants obey the same order
 2. If the commanding general is loyal, then every loyal lieutenant obeys the order he sends



BYZ with Oral Messages

Oral message: contents are completely under the control of the sender

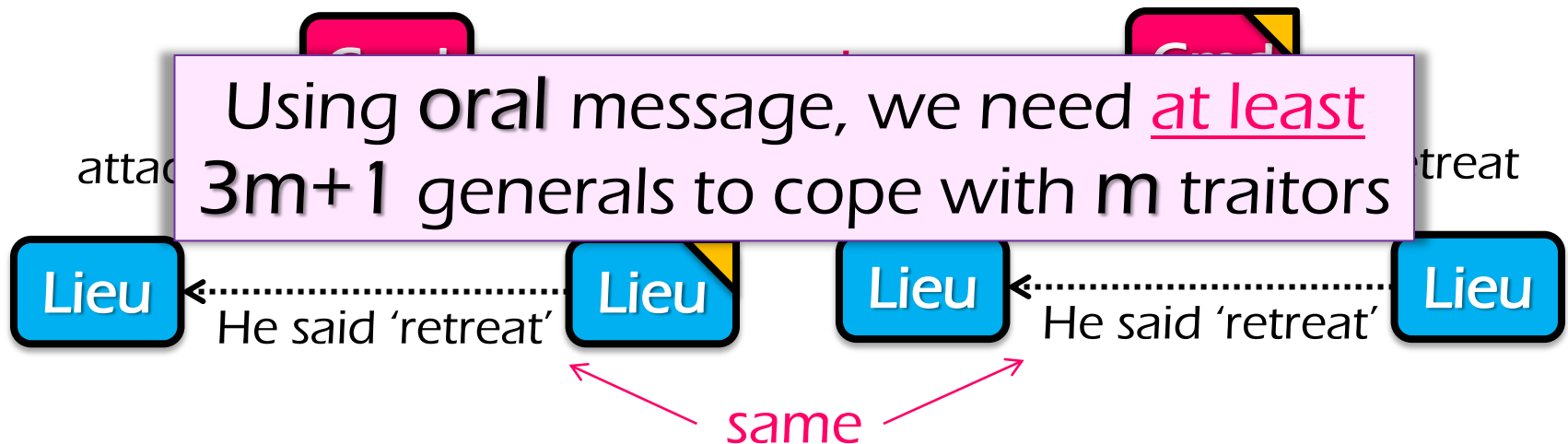
No solution for **three** generals can handle a **single** traitor with oral message



BYZ with Oral Messages

Oral message: contents are completely under the control of the sender

No solution for **three** generals can handle a **single** traitor with oral message



Oral Message Algorithms

Assumptions for the generals' message

1. Every message is delivered correctly
2. The receiver of a message knows who send it
3. The absence of a message can be detected

A1 and A2 prevent a traitor from interfering with the communication between two other generals

A3 foils a traitor who tries to prevent a decision by simply not sending messages

Oral Message Algorithms

Algorithm Oral Message $OM(0)$

1. The **Cmd** sends his value to every **Lieu**
2. Each **Lieu** uses the value he receives from the **Cmd**, or uses the value RETREAT if he receives no value

Algorithm Oral Message $OM(m), m > 0$

1. The **Cmd** sends his value to every **Lieu**
2. For each i , let v_i be the value **Lieu i** receives from the **Cmd**, or else be RETREAT if he receives no value. **Lieu i** acts as the **Cmd** in Algorithm $OM(m-1)$ to send the value v_i to each of the $n-2$ other **Lieus**
3. For each i , and $j \neq i$, let v_j be the value **Lieu i** received from **Lieu j** in step 2), or else RETREAT if he received no such value. **Lieu i** uses the value $\text{majority}(v_1 \dots v_{n-1})$

Oral Message Algorithms

Algorithm Oral Message $OM(0)$

1. The **Cmd** sends his value to every **Lieu**
2. Each **Lieu** uses the value he receives from the **Cmd**, or uses the value RETREAT if he receives no value

Algorithm

$\text{majority}(v_1 \dots v_{n-1})$:

1. If a majority of the values v_i equal v ,
2. $\rightarrow \text{majority}(v_1 \dots v_{n-1})$ equals v

the
Lieu i

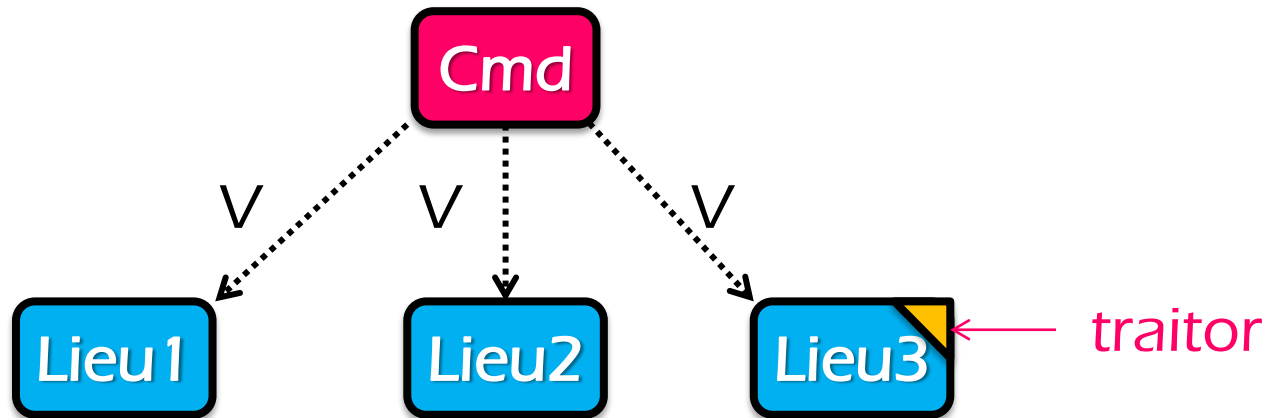
acts as the **Cmd** in Algorithm $OM(m-1)$ to send the value v_i to each of the $n-2$ other **Lieus**

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Examples

Byzantine case1 ($m=1, n=4$)

1st step: $OM(1)$: Cmd sends v to all three Lieus



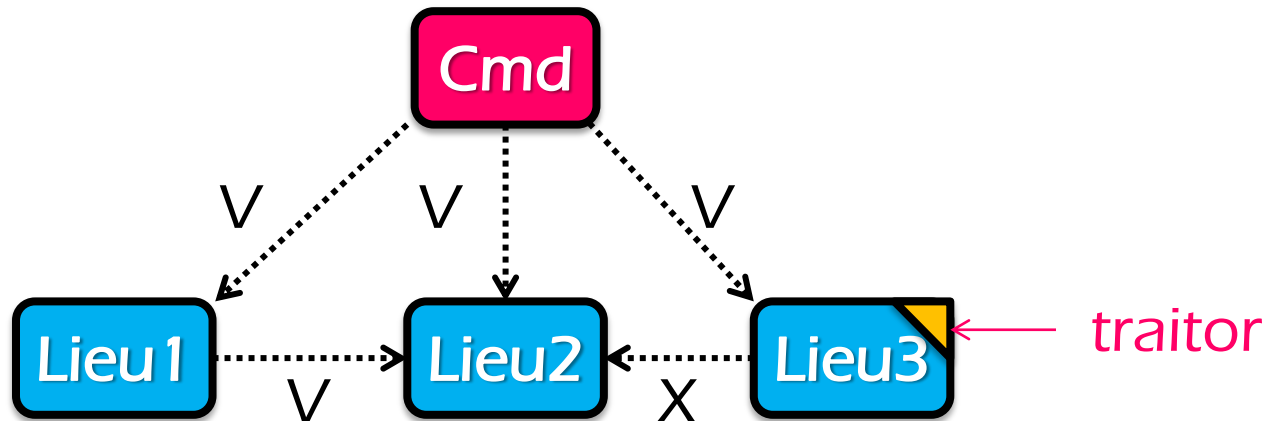
Examples

Byzantine case1 ($m=1, n=4$)

1st step: OM(1): Cmd sends v to all three Lieus

2nd step: OM(0): Lieu1 sends v to Lieu2,
and Lieu3 sends x to Lieu2

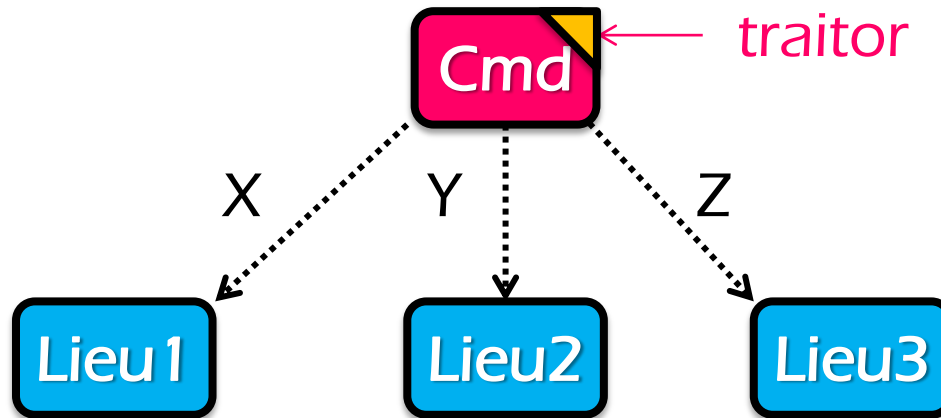
3rd step: Lieu2 obtains the correct value $v = \text{majority}(v, v, x)$



Examples

Byzantine case2 ($m=1, n=4$)

1st step: OM(1): Cmd sends x, y, z to the three Lieus



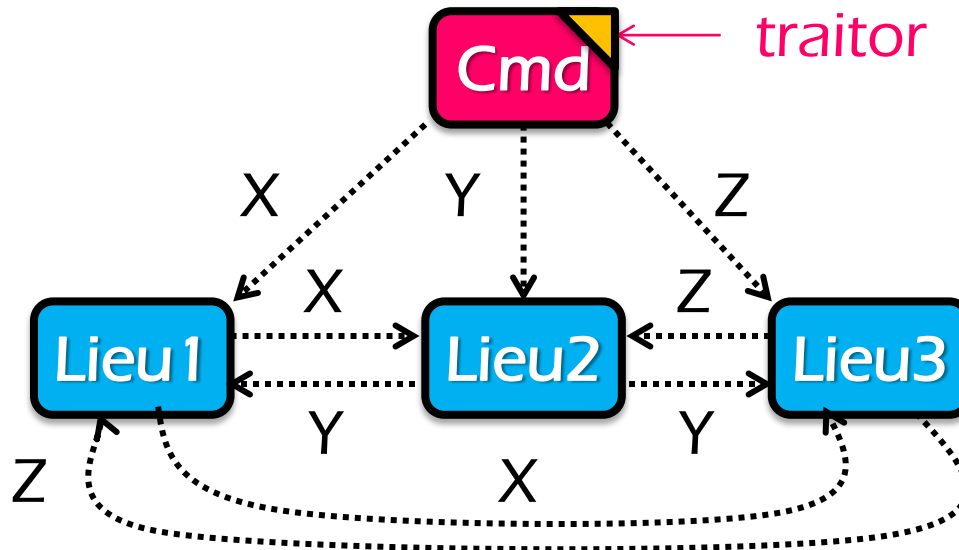
Examples

Byzantine case2 ($m=1, n=4$)

1st step: OM(1): Cmd sends x, y, z to the three Lieus

2nd step: OM(0): Lieu1 sends x to Lieu2,
and Lieu3 sends z to Lieu2

3rd step: Lieu2 can't obtain the value majority (x, y, z)



Communication Complexity

What is communication complexity of this algorithm?

n generals and m traitors

→ $OM(m)$ triggers $(n-1)OM(m-1)$

→ $OM(m-1)$ triggers $(n-2)OM(m-2)$

...

→ $OM(m-k)$ triggers $(n-k-1)OM(m-k-1)$

...

→ $OM(0)$

$O(n^m)$

The problem become easier to solve if we can **restrict** the ability of **traitors**.

Signed Message Algorithms

Assumptions for the generals' message

1. Every message is delivered correctly
2. The receiver of a message knows who send it
3. The absence of a message can be detected
- 4.1. A loyal general's signature cannot be forged, and any alteration of the contents of his signed messages can be detected
- 4.2. Anyone can verify the authenticity of a general's signature

Signed Message Algorithms

Algorithm Oral Message $OM(m)$ Initially $v_i = \emptyset$

1. The **Cmd** signs and sends his value to every **Lieu**
2. For each i :
 - A) If **Lieu** i receives a message of form $v:0$ from the **Cmd** and he has not yet received any order, then
 - I. he lets v_i equal $\{v\}$;
 - II. he sends the message $v:0:i$ to every other **Lieu**
 - B) If **Lieu** i receives a message of the form $v:0:j_1: \dots :j_k$ and v is not in the set v_i then
 - I. he add v to v_i ;
 - II. if $k < m$, then he sends the message $v:0:j_1: \dots :j_k:i$ to every **Lieu** other than $j_1: \dots :j_k$
3. For each i : When **Lieu** i will receive no more messages, he obeys the order $choice(v_i)$

Signed Message Algorithms

Algorithm Oral Message $OM(m)$ Initially $v_i = \emptyset$

1. The **Cmd** signs and sends his value to every **Lieu**

2. For each i :

A) If **Lieu** i receives a message of form $v:o$ from the **Cmd**

$\text{choice}(v)$:

If the set v consists of the single element v ,

$\rightarrow \text{choice}(v)$ equals v

I. he add v to v_i ;

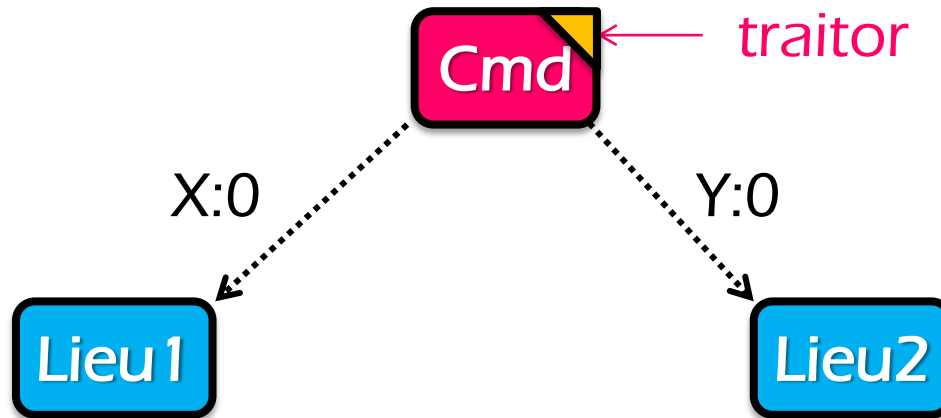
II. if $k < m$, then he sends the message $v:o:j_1 \dots j_k:i$ to every **Lieu** other than $j_1 \dots j_k$

3. For each i : When **Lieu** i will receive no more messages, he obeys the order $\text{choice}(v_i)$

Examples

Byzantine case ($m=1, n=3$)

1st step: $OM(1)$: *Cmd* signs and sends x, γ to the two *Lieus*

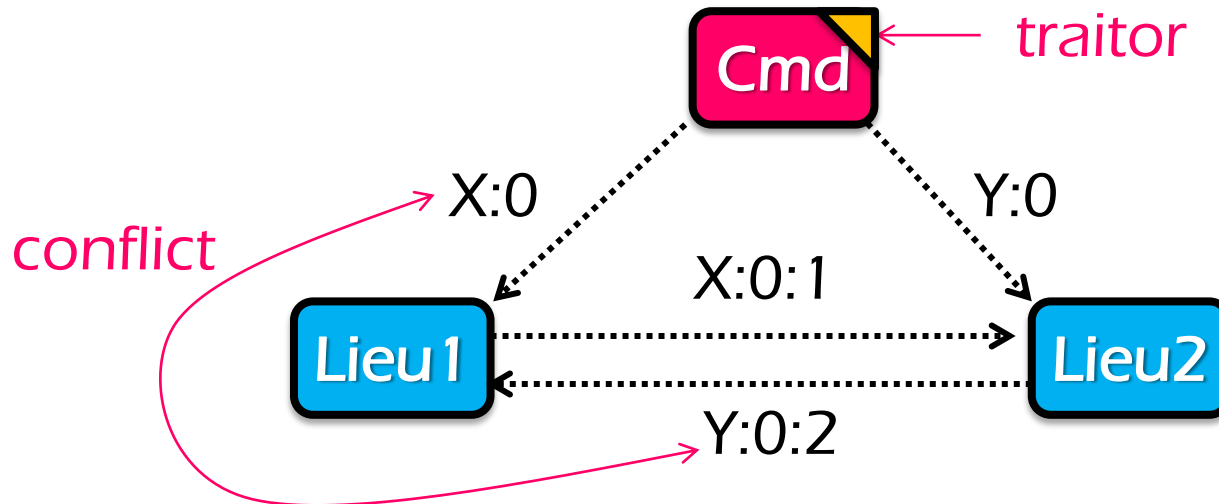


Examples

Byzantine case ($m=1, n=3$)

1st step: $OM(1)$: Cmd signs and sends x, γ to the two Lieus

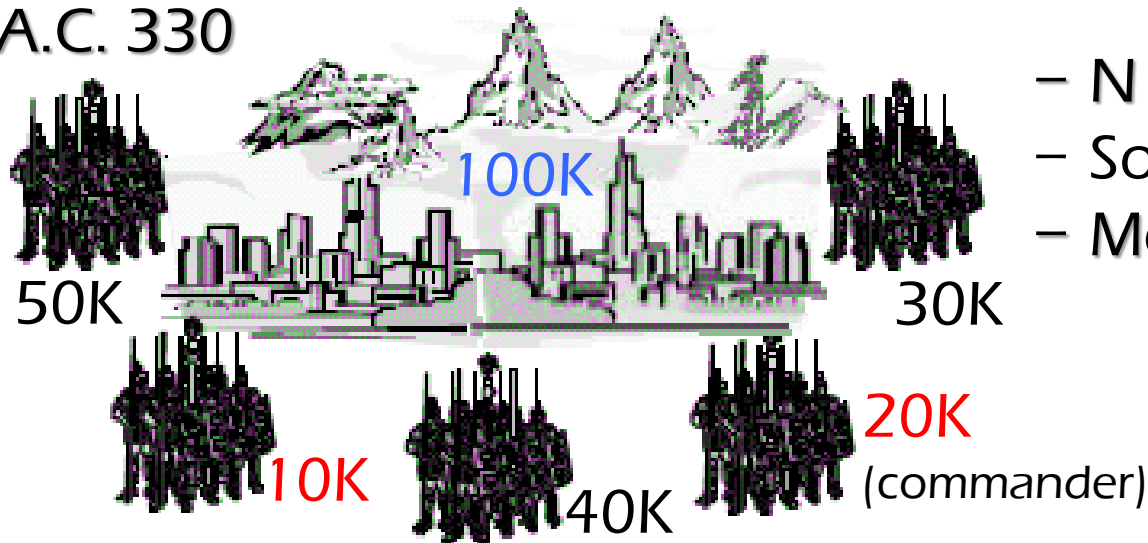
2nd step: $OM(0)$: Lieu1 sends $x:0:1$ to Lieu2,
and Lieu2 sends $\gamma:0:2$ to Lieu1



Why Byzantine



A.C. 330



- N Generals
- Some are traitors
- Message passing

Attack
vs.
Retreat

Goals

“I have long felt that, because it was posed as a cute problem about philosophers seated around a table, Dijkstra's dining philosopher's problem received much more attention than it deserves.”

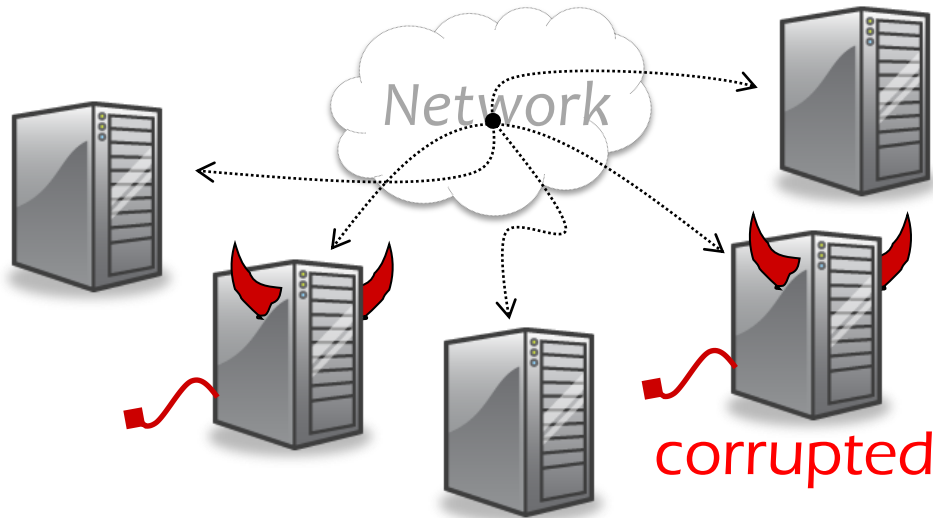


Leslie Lamport

Byzantine in DS



A thousand years later...



- N Computers
- Some misbehaviors
- Message passing

HW Fault, SW bug,
Security Attack,
Misconfiguration

Goals

- All correct nodes share the same global info
- Ensure that N corrupted nodes cannot change the shared global info and maximize N

PBFT: Practical Byzantine Fault Tolerance

Miguel Castro and Barbara Liskov,
“*Practical Byzantine Fault Tolerance*”. OSDI, **1999**

RSM Review

RSM is a general replication method

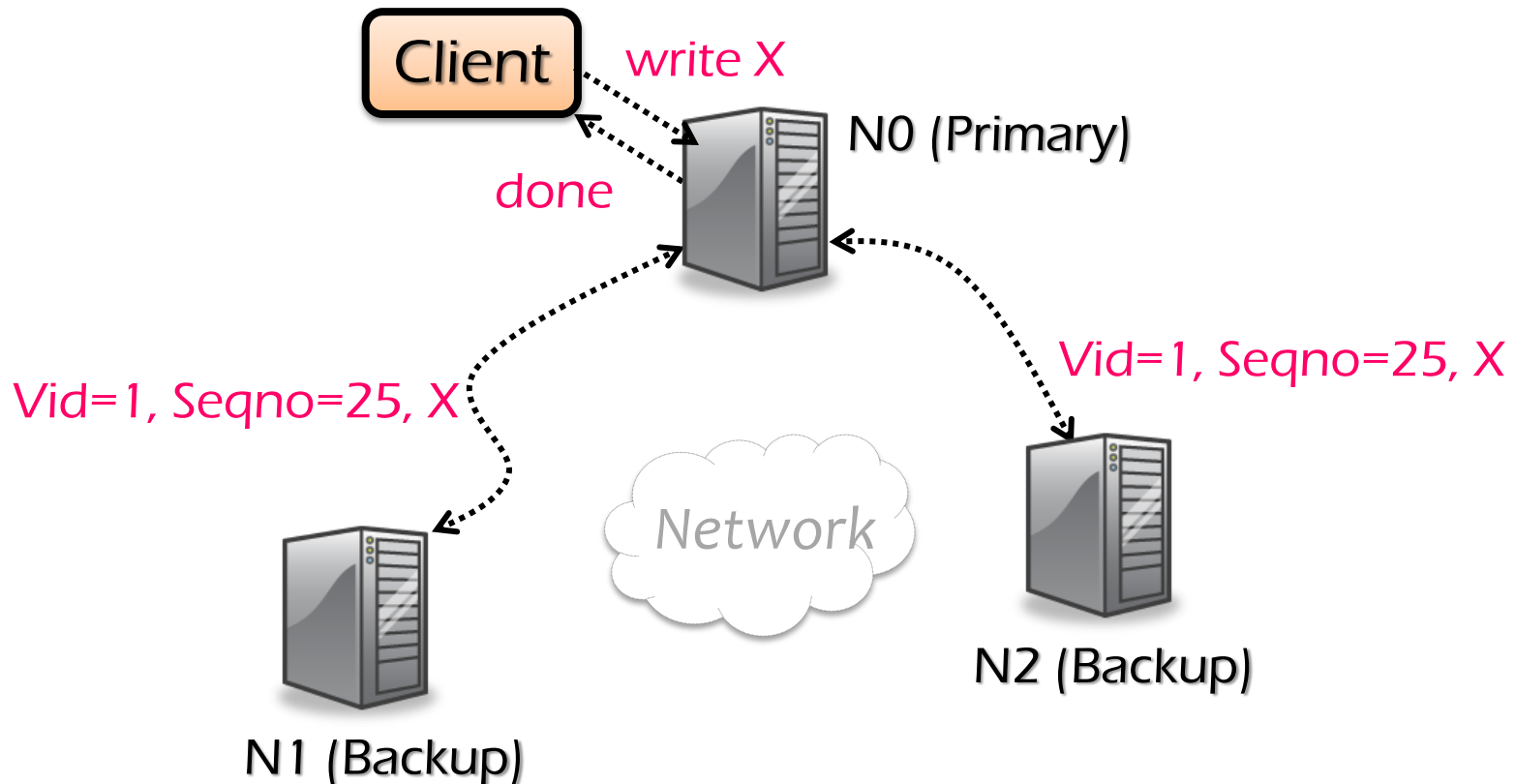
- e.g., apply RSM to lock service

RSM rules

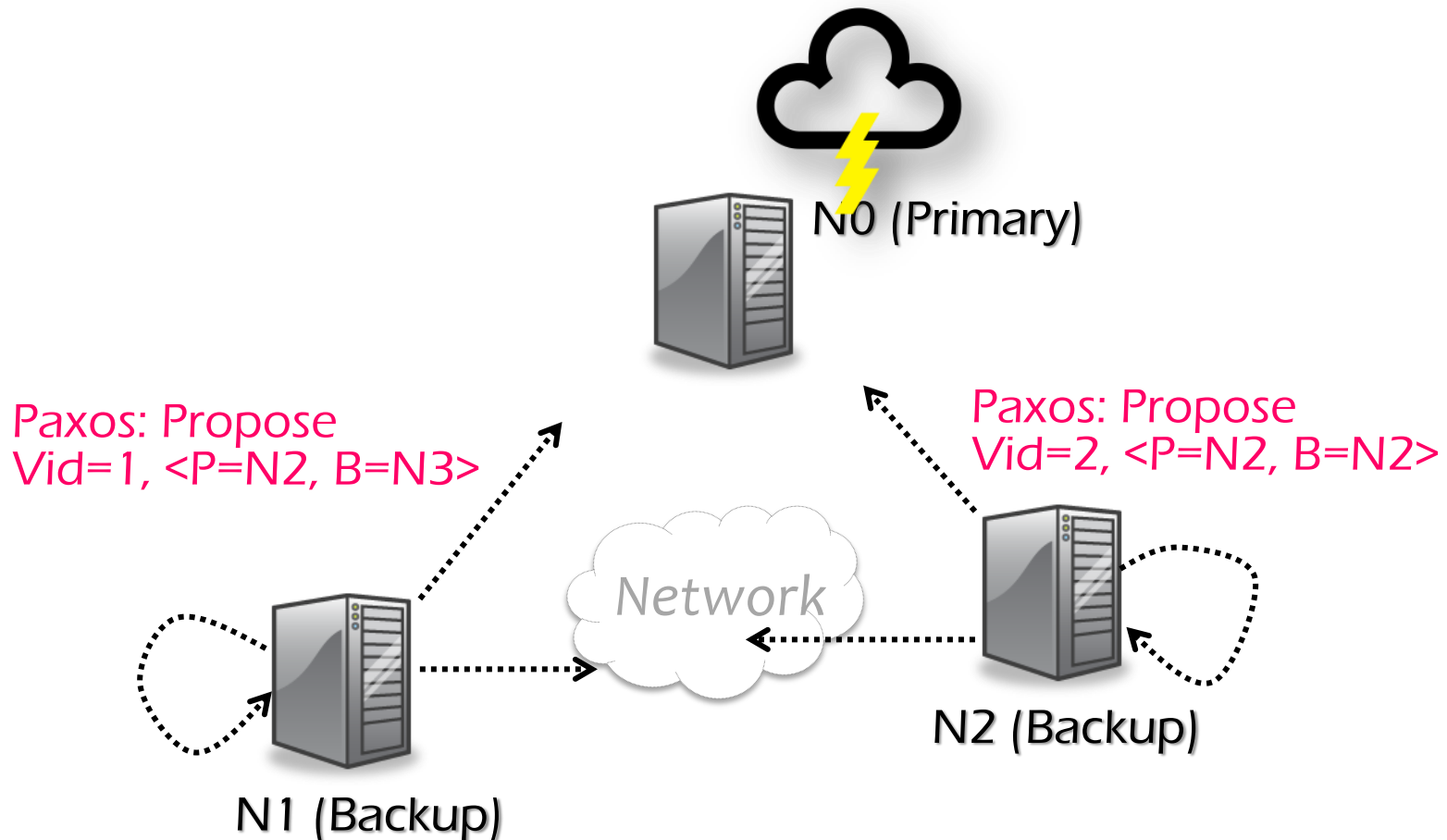
- All replicas **start** in the **same** initial state
- Each replica apply ops in the **same** order
- All ops must be **deterministic**
- All replicas **end** up in the **same** state

RSM Review: Normal Ops

Wait for responses from all backups before applying write and replying to client



RSM Review: View Change



RSM with Byzantine Nodes

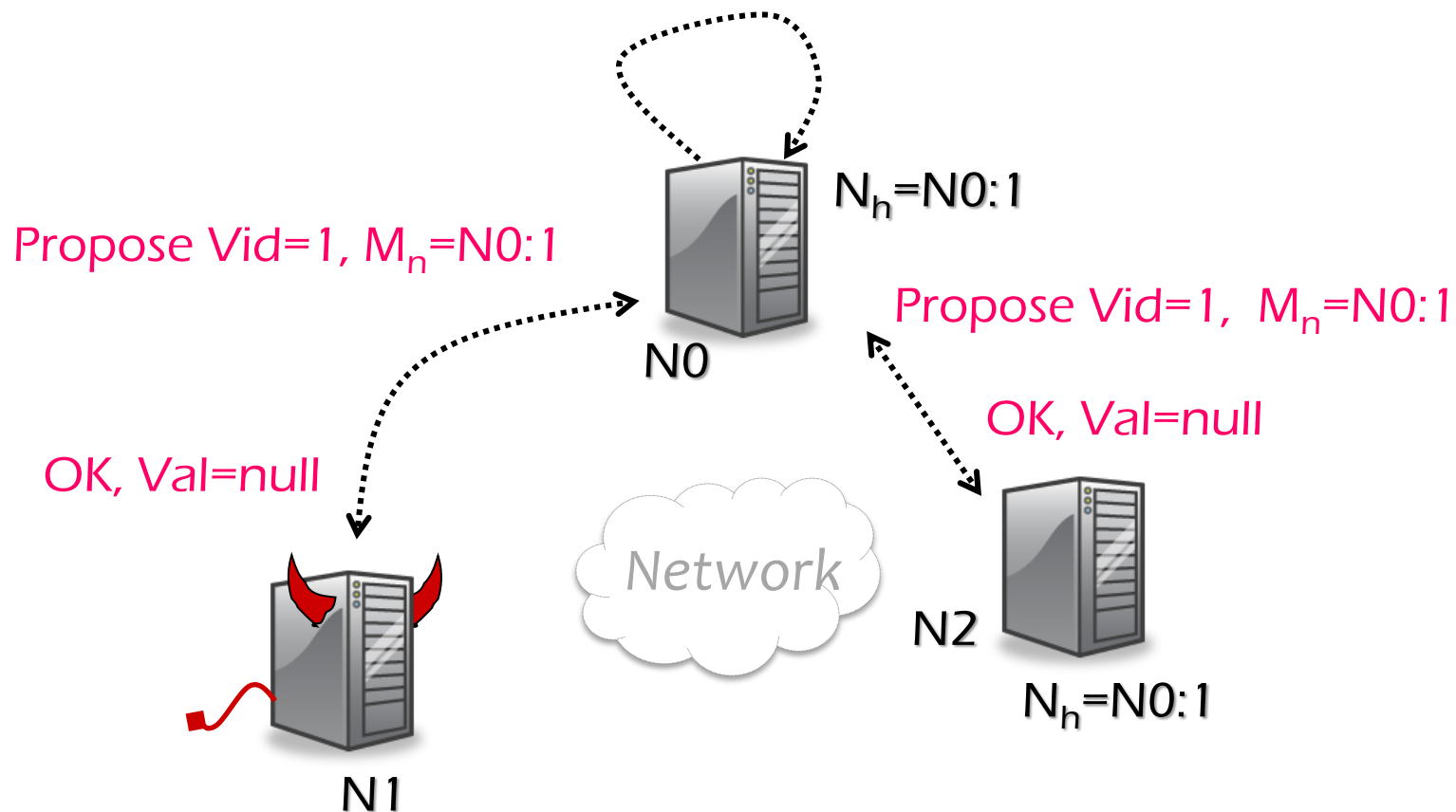
Malicious primary is bad

- Send wrong result to clients
- Send different **ops** to different replicas
- Assign the same **seqno** the different requests

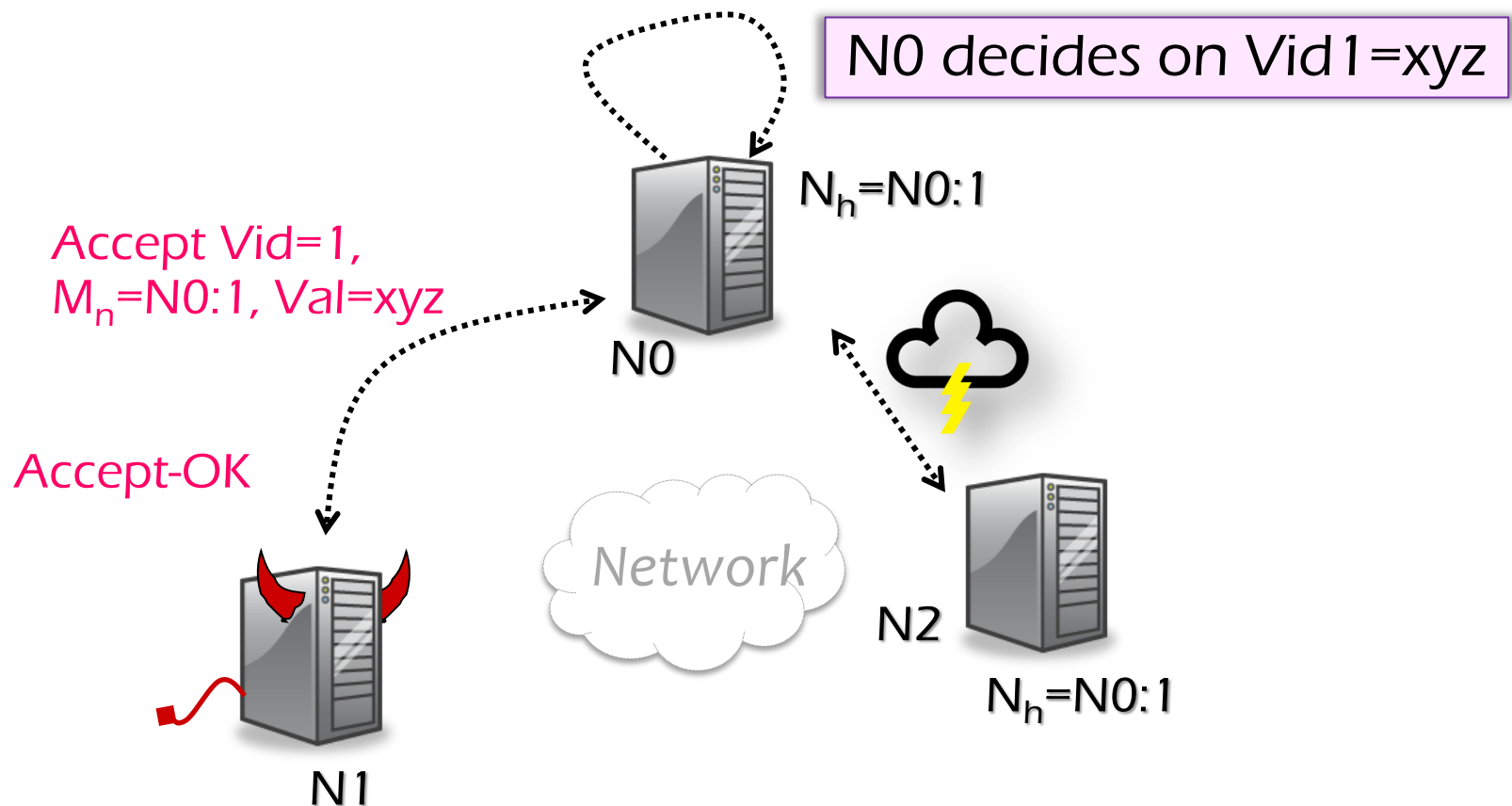
Cannot use Paxos for view change

- Paxos uses a majority accept-quorum to tolerate **f** benign faults out of **2f+1** nodes
- With malicious interfering, Paxos does not ensure agreement among honest nodes

Paxos under Byzantine Faults

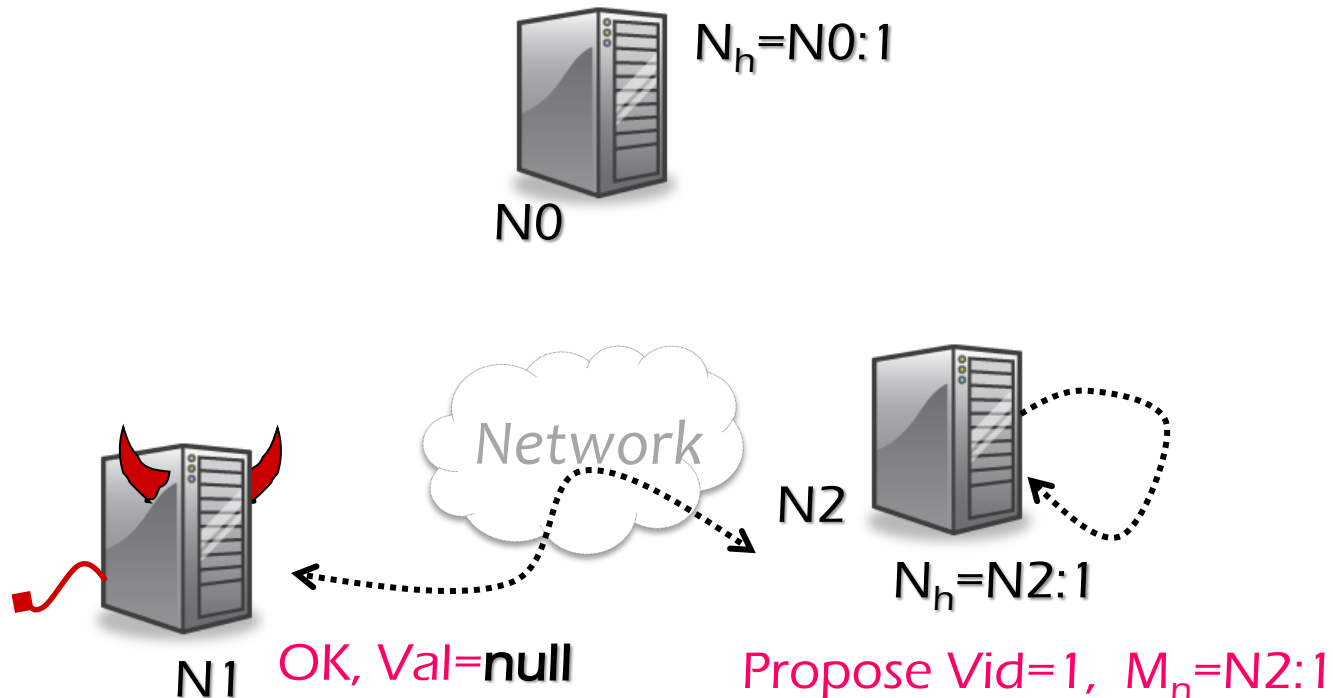


Paxos under Byzantine Faults



Paxos under Byzantine Faults

N0 decides on Vid1=xyz



Paxos under Byzantine Faults

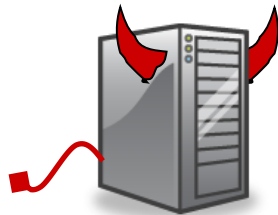
N0 decides on Vid 1=xyz



$N_h = N0:1$

N0

N1 decides on Vid 1=abc



N1

Accept-OK



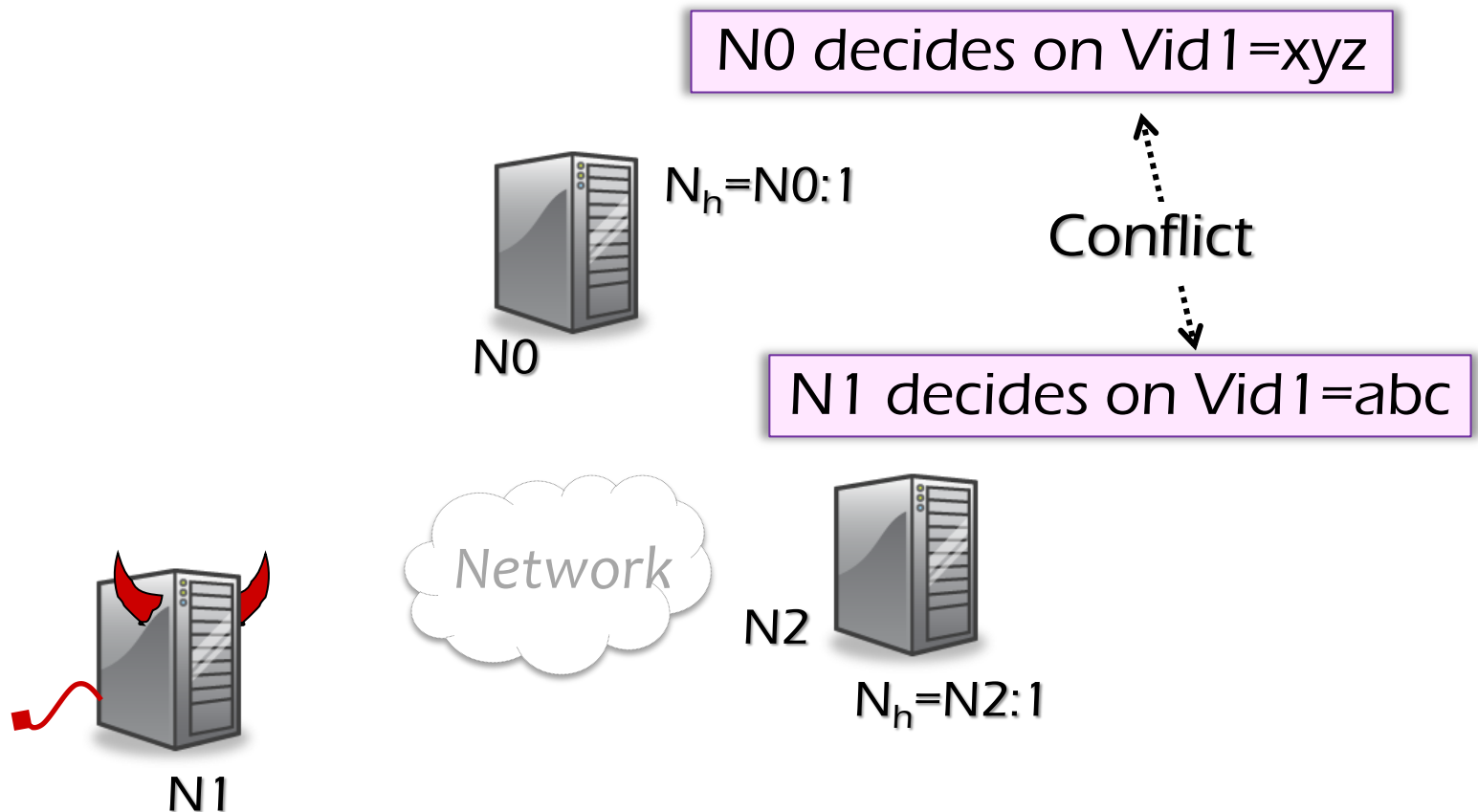
N2



$N_h = N2:1$

Accept Vid=1,
 $M_n = N2:1$, Val=abc

Paxos under Byzantine Faults



PBFT Main Ideas

Static configuration ($3f+1$ nodes across views)

To deal with **loss** of agreement

- Bigger quorum ($2f+1$ out of $3f+1$ nodes)

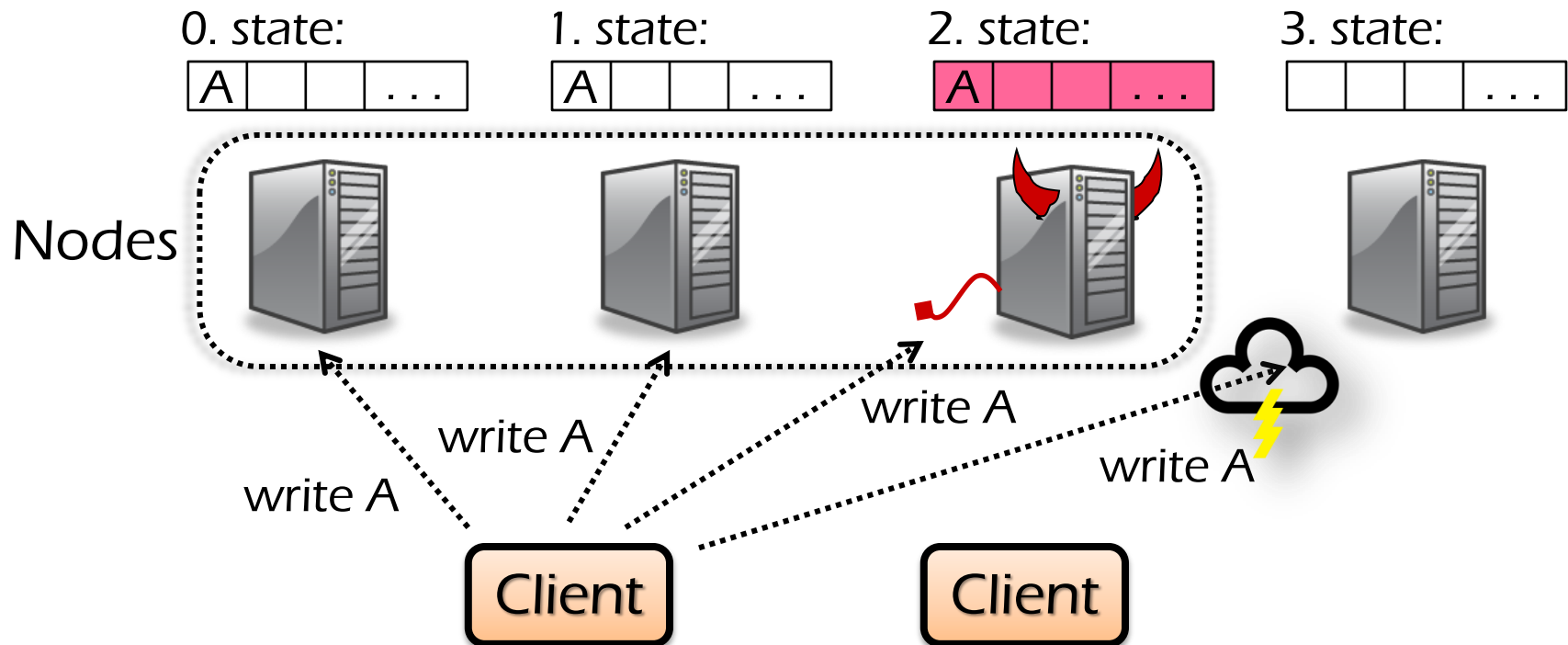
To deal with **malicious** primary

- 3-phase protocol to agree on sequence number

Need to authenticate communications

Why $3f+1$ and $2f+1$?

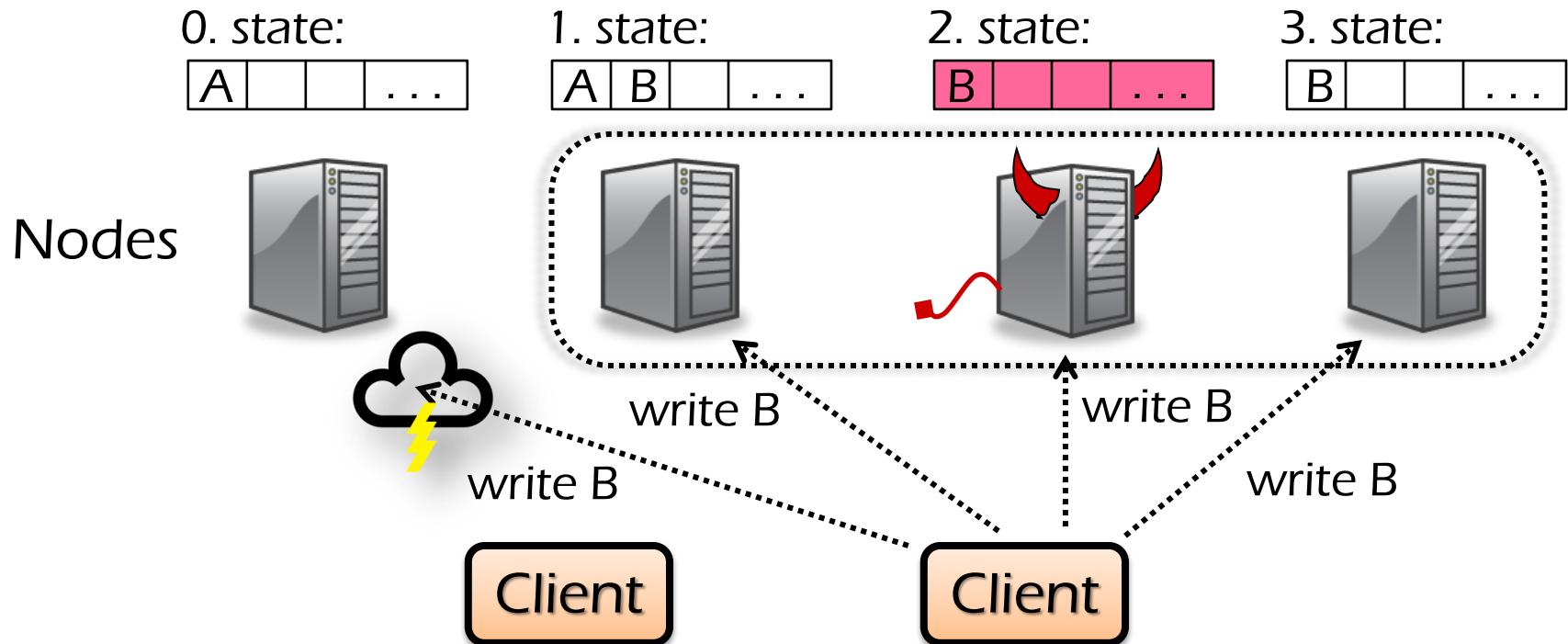
BFT requires a $2f+1$ quorum out of $3f+1$ nodes



For **liveness**, the quorum size must be at most $N-f$

Why $3f+1$ and $2f+1$?

BFT requires a $2f+1$ quorum out of $3f+1$ nodes



For correctness, any two quorums must intersect at least one **honest** node: $(N-f) + (N-f) - N \geq f + 1 \rightarrow N \geq 3f+1$

PBFT Strategy

Primary runs the protocol in the normal ops

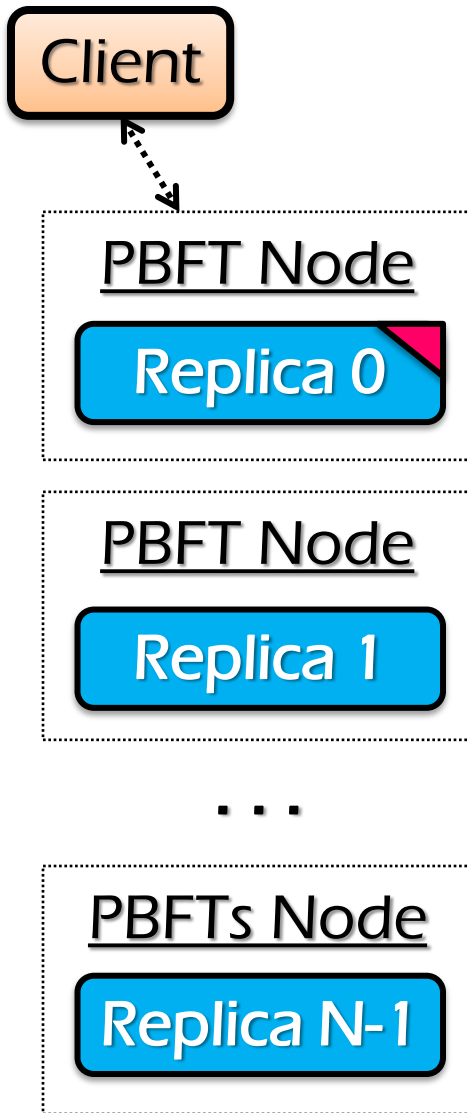
- Client sends **signed** request to primary or ALL

Replicas watch the primary and do a view change if it fails (or faulty)

- Pick primary in turn> avoid dictatorship
- At least $f+1$ replicas to push view change

↓
avoid anarchy

Replica State



Replica ID i (from 0 to $N-1$)

View Number $v\#$ (initially 0)

Primary is the replica

$$i == v\# \bmod N$$

Log entry: $\langle op, seq\#, status \rangle$

status: pre-prepared /
prepared /
committed

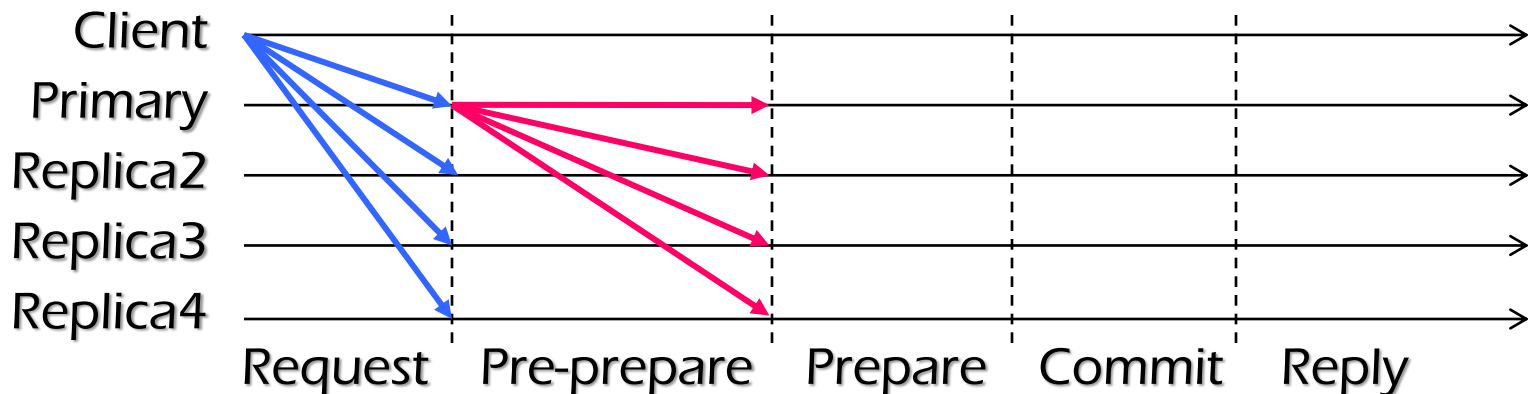
PBFT Normal Ops

Client sends signed request to primary or ALL

Primary sends **pre-prepare** messages to ALL

pre-prepare contains $\langle v\#, seq\#, op \rangle$

- Records operation in **log** as “pre-prepared”
- Keep in mind that primary might be malicious
e.g., Send diff seq# for the same op to diff replicas
Use a duplicate seq# for op

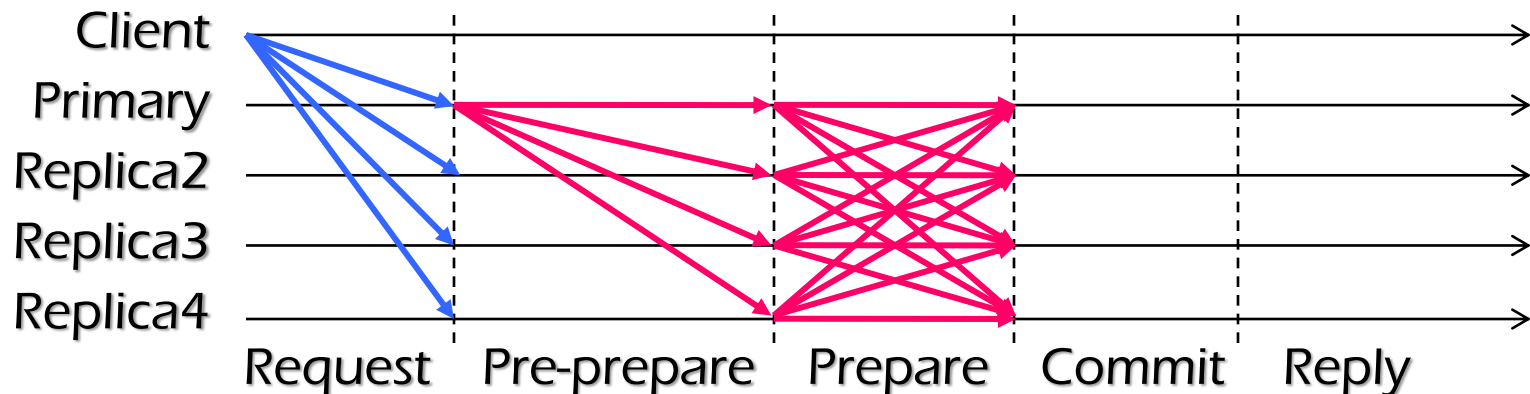


PBFT Normal Ops

Replicas check **pre-prepare** and if it is OK

- Records operation in **log** as “pre-prepared”
- Send **prepare** messages $\langle i, v\#, seq\#, op \rangle$ to ALL

All to all communication



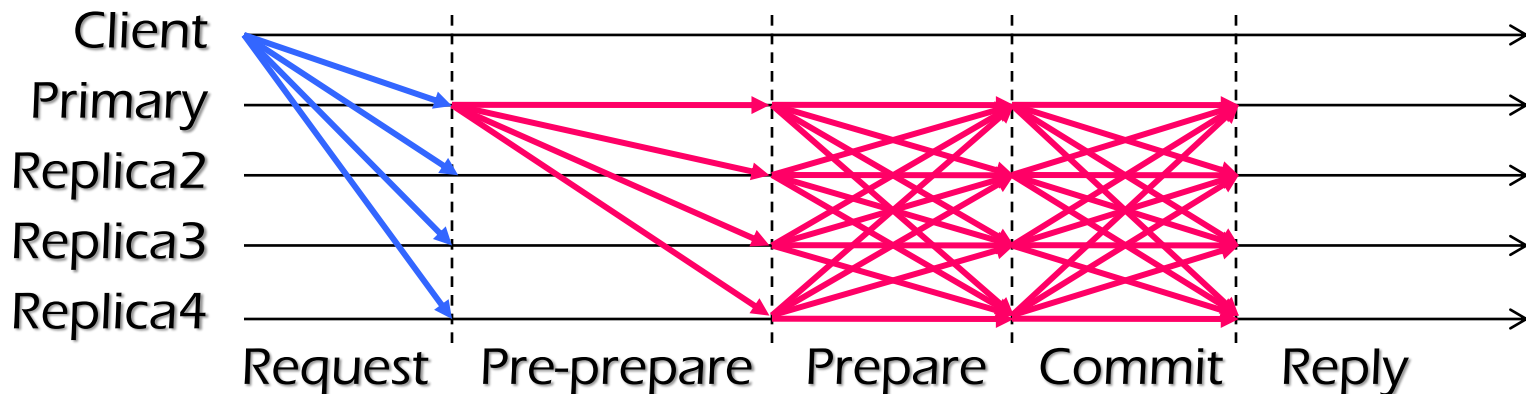
PBFT Normal Ops

Replicas wait for $2f+1$ matching **prepares**

- Records operation in **log** as “prepared”
- Send **commit** messages $\langle i, v\#, seq\#, op \rangle$ to ALL

What does this stage achieve

- All honest nodes (that are prepared) prepare the same value

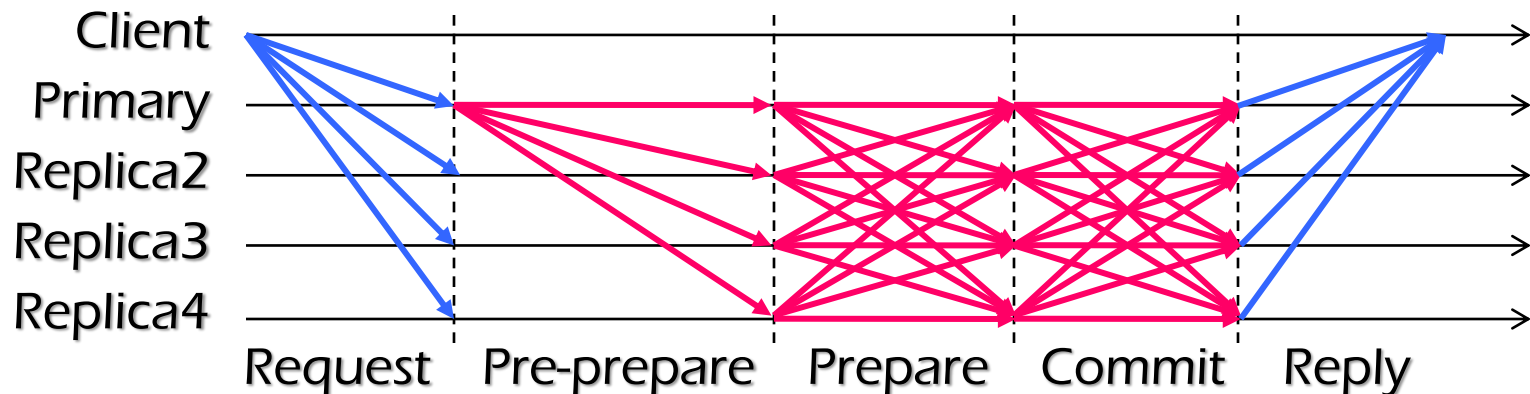


PBFT Normal Ops

Replicas wait for $2f+1$ matching **commits**

- Records operation in **log** as “committed”
- Execute the operation
- Send result to the client

Client waits for $f+1$ matching replicas



PBFT View Change

If primary is **honest**, can **faulty** replicas prevent progress?

If primary is **faulty**, can **honest** replicas detect problems?

Replicas watch the primary

Request a view change w/ progress is stalled

Can any one replica initialize a **view change**?

How to ensure requests executed by **good** nodes in **old view** are reflected in **new view**?

PBFT View Change

Each replica sends **view-change** request with $2f+1$ prepares for recent ops

New primary waits for $2f+1$ **view-change**

New primary sends **new-view** to ALL

- Complete set of **view-change** messages
- List of every op for which some **view-change** contained $2f+1$ prepares

Possible Improvement

Lower latency for write ops (4 messages)

- Replicas respond at **prepare** (hidden **commit**)
- Client waits for $2f+1$ matching response

Fast read ops (1 round trip)

- Client sends to ALL
- Replicas respond immediately
- Client waits for $2f+1$ matching response

Next Lecture

Final Review

THANKS